

## Spatial Heterogeneity of Surface Roughness on Tilled Loess Slopes in Erosion Stages

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### Abstract

Zhang Q., Wang J., Wu F. (2018): Spatial heterogeneity of surface roughness on tilled loess slopes in erosion stages. *Soil & Water Res.*, 13: 90–97.

The main soil erosion areas of the Chinese Loess Plateau are tilled slopes. The knowledge of their spatial heterogeneity will contribute to the understanding of erosion mechanisms on a microtopographic scale. In this study, the spatial heterogeneity of four conventionally tilled slopes was examined under simulated rainfall conditions using a semivariogram-based methodological framework. Results show that all tilled slopes have a relatively stable spatial structure and the erosion stages of all tilled slopes have a similar spatial variability. The rainfall in the splash, sheet, and rill erosion stages has a degree of relief effect, strengthening effect, and relief effect on the surface roughness, respectively. However, the effects of tillage practices and slope gradient on the spatial heterogeneity are much larger than those of the rainfall. The spatial heterogeneity decreases with increasing slope gradient. The general autocorrelation scale of the tilled slopes is 3.15 m and their fractal dimension ranges from 1.59 to 1.85. The tilled slopes have certain anisotropy with respect to the slope direction from 10° to 22.5° while they show isotropy or weaker anisotropy in other directions. In this work, a semivariogram-based methodological framework was established for the spatial heterogeneity of microtopographic-scale slopes. The results also provide a theoretical foundation for future tillage measures on sloping fields of the Loess Plateau.

**Keywords:** erosion effect; semivariogram; surface roughness; tillage measures

**Abbreviations:** SH – spatial heterogeneity; BP – backhoe ploughing; CT – contour tillage; DP – digging ploughing; RL – rake levelling;  $E_{30}$  – 30-minute rainfall intensity; BR – before rainfall, original slopes were prepared for rainfall; SpE – splash erosion, the phase prior to the runoff initiation; ShE – sheet erosion, the phase defined by the appearance of fish scale-shaped pits and small-scale overfall; RE – rill erosion, the phase during which fish scale-shaped pits and overfall form the rill;  $r(h)$  – semivariance ( $\text{mm}^2$ );  $Z(x)$  – elevation at location  $x$  (mm);  $h$  – lag distance between the sampling points (mm);  $N(h)$  – number of data pairs;  $C + C_0$  – sill of the variogram, overall maximum spatial variability in a system ( $\text{mm}^2$ );  $a$  – codomain or range of the variogram (mm);  $C$  – structural variance, which reflects the spatial variability due to spatial structure properties ( $\text{mm}^2$ );  $C_0$  – nugget variance, which reflects the spatial variability due to random elements ( $\text{mm}^2$ );  $C/(C + C_0)$  – base effect;  $Fa$  – anisotropy ratio =  $a_2/a_1$ ;  $a_2$  – the largest range of the model describing the semivariance function in the  $\theta$  direction;  $a_1$  – the range of the model describing the semivariance function toward lower spatial continuity  $\theta + 90^\circ$ ;  $m$  – slope of the double logarithmic semivariogram;  $D$  – fractal dimension used to describe the overall complexity;  $SD$  – spatial dependence

The Chinese Loess Plateau has long been suffering from serious soil erosion issues. The soil erosion of tilled sloping land is estimated to contribute 50–60% of the total soil erosion of the Loess Plateau (WEI *et al.* 2006).

The soil surface roughness, which reflects the microvariation of surface-relative elevations, has been

proven to be one of the major factors affecting soil erosion (e.g., GOVERS *et al.* 2000; ZHAO *et al.* 2014).

The spatial heterogeneity (SH) is the complexity and variability of a system property (e.g., surface roughness) of a given space and primarily consists of two parts: randomness and systematicity (autocorrelation) (LI & REYNOLDS 1995). The following

<https://doi.org/10.17221/130/2017-SWR>

basic questions are common and need to be addressed when studying the SH of surface roughness: (1) How does the variability alter depending on the sampling distance?; (2) What part and which factor (random and structural factors) contribute more to the spatial variability?; and (3) What is the specific slope direction of the variability? Many studies highlighted the hydraulic characteristics and dynamic mechanisms and randomness and complexity of the surface roughness in the past (e.g., RÖMKENS & WANG 1984; SHEN *et al.* 2016). However, there are few detailed studies on the SH of surface roughness in erosive stages, which affects the in-depth understanding of erosion mechanisms, especially on the microtopographic scale. Therefore, the objective of this study was to examine the SH of four typical tilled slopes under simulated rainfall conditions.

## MATERIAL AND METHODS

**Experimental materials.** The sample soil used in this study was collected from a plough layer in Yangling in the Shaanxi Province, which is located at the southern edge of the Chinese Loess Plateau (107.56°–108.08°E, 34.14°–34.20°N). The “loutu” soil, classified as an Earth-cumuli-Orthic Anthrosol (USDA Taxonomy) or Anthrosols (AT) (WRB, 2014), is grey-brown, loose, and granular and contains silty and clayey soil particles.

**Preparation of the soil tank.** The sample soil was air-dried, gently crushed, sieved through a 10-mm sieve, and filled in ten 10-cm layers into soil tanks (100 × 200 cm<sup>2</sup>) to a depth of 100 cm. Before packing the soil tanks, the soil water content was determined and used to calculate how much soil was needed for each soil layer to obtain the target bulk density (1.30 g/cm<sup>3</sup>).

Five slope gradients of 9° (5°), 18° (10°), 27° (15°), 36° (20°), and 47° (25°) typical of the Loess Plateau were designed and prepared when the soil tanks were completely packed. Four traditional Loess Plateau tillage measures were imposed on the sloping surface such as

backhoe ploughing (BP), contour tillage (CT), digging ploughing (DP), and rake levelling (RL; Figure 1). Subsequently, all soil tanks were allowed to settle for 48 h.

Before the runs, all soil slopes were subjected to pre-rain with a rainfall intensity of 30 mm/h until surface flow occurred. The purpose of pre-rain was to maintain consistent soil moisture content, which was gravimetrically adjusted to 10 g/100 g, and consolidate loose soil particles (SHEN *et al.* 2016).

**Experimental procedures.** In Yangling, the maximum 30-minute rainfall intensity is expected to occur once per 100 years and reaches up to 120.85 mm/h. Hence, the experimental rainfall intensity in this study was set to 2.0 mm/min (i.e., 120 mm/h).

A down-sprinkler rainfall simulator system (ZHENG & ZHAO 2004) was used to apply rainfall (ZHOU & SHANGGUAN 2007). Three successive rainfall events were employed during four erosion processes: before rainfall (BR), splash erosion (SpE), sheet erosion (ShE), and rill erosion (RE). The first and second rainfall events had ~25-min duration; the third rainfall event lasted ~35 min.

A laser rangefinder (ZHANG *et al.* 2014) was used for the automated measurement of the point-by-point elevation in a regularly spaced grid (2 × 2 cm).

## Data analysis

**Semivariogram.** A semivariogram was used to characterize the variability of the surface roughness between data points (PANDEY & PANDEY 2010). It is defined as:

$$r(h) = \frac{1}{2N(h)} \sum_{i=1}^{N(h)} [Z(x_i) - Z(x_i + h)]^2 \quad (1)$$

where:

$r(h)$  – semivariance of the point elevation (mm<sup>2</sup>)

$h$  – lag distance between the points (mm)

$Z(x)$  – elevation of the point  $x$  (mm)

$N(h)$  – number of data pairs

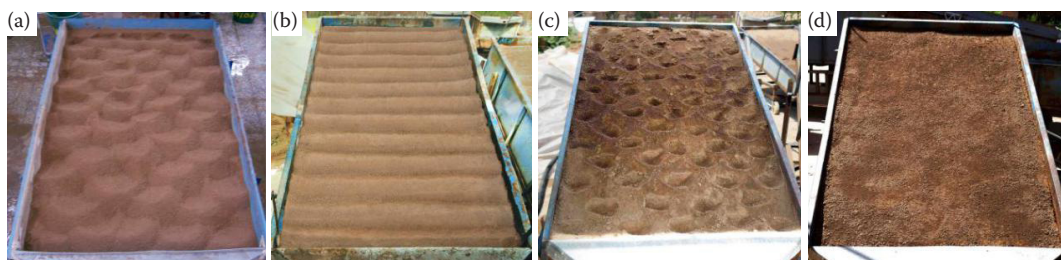


Figure 1. Four traditional tillage measures in the Chinese Loess Plateau listed as: (a) backhoe ploughing (BP), (b) contour tillage (CT), (c) digging ploughing (DP) and (d) rake levelling as the control (RL), established by experienced farmers

The semivariogram graph (Figure 2) can be depicted using theoretical models such as spherical, Gaussian, exponential, or linear models. Based on Figure 2,  $r(h)$  initially increases with  $h$  and reaches a sill ( $C + C_0$ ; mm<sup>2</sup>) when  $h$  is close to the codomain ( $a$ ; mm); the sill is the limit of  $r(h)$  and is indicative of the overall amplitude of the spatial variability of the point elevation of the soil surface;  $a$  is the range or minimum lag distance at which spatial autocorrelation or dependence between the elevation measurements is no longer observed. Therefore, it is a measure of the amplitude of the horizontal variability of the soil surface (ANDRÉS *et al.* 2015). The structural variance ( $C$ ; mm<sup>2</sup>) and nugget variance ( $C_0$ ; mm<sup>2</sup>) reflect the SH of the surface roughness, respectively, which is due to spatial constitutive (autocorrelation) properties and randomness elements. The base effect, ratio of  $C/(C + C_0)$ , is indicative of an enhanced variability of > 75%, 25%–75%, and < 25%, indicating strong, moderate, and weak spatial autocorrelation or dependence, respectively.

**Geometric anisotropy.** The spatial variability of the variables in a system is related to the spatial sampling distance, which often varies with direction (CRAWFORD & HERGERT 1997). If the spatial dependence structure is only a function of the distance separating the observed locations, the process that describes the spatial variability is isotropic. Conversely, if this structure differs with respect to the direction, the process is anisotropic (WEBSTER 1985). Specifically, geometric anisotropy can be characterized by two parameters, anisotropy angle and ratio. The anisotropy angle is the azimuth angle of the direction with greater spatial continuity, which is the angle between the  $y$ -axis and the direction with the maximum range. The anisotropy ratio is the ratio between the ranges of the directions with greater and smaller continuity, which is the ratio between the maximum and minimum ranges ( $Fa = a_2/a_1$ ). Therefore, its value is always greater or equal to one (GUEDES *et al.* 2013). When  $Fa \approx 1$ , the SH of the surface roughness as a whole exhibits an isotropy. An anisotropy exists when  $Fa > 1$  (JIANG *et al.* 2010). A greater  $Fa$  indicates a stronger spatial variability, while a smaller  $Fa$  indicates a weaker spatial variability or a stronger spatial autocorrelation. Directional semivariograms can be constructed to preliminarily identify the existence and type of anisotropy (GUEDES *et al.* 2013). In this study, seventeen anisotropy angles were used to validate these semivariograms with a tolerance radius of 22.5°, following the system of azimuth direction

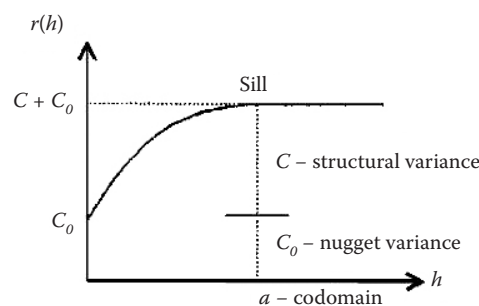


Figure 2. Generalized semivariogram structure

The semivariance  $r(h)$  increases with the lag distance  $h$  within the codomain  $a$ , and the overall spatial variability will reach the maximum value at the point of codomain, while the spatial autocorrelation or dependence will fade away outside  $a$

measurement, considering true north as direction 0°, and varying the other directions clockwise.

**Fractal dimension.** The fractal dimension ( $D$ ) is employed to characterize the SH:

$$D = 2 - m/2 \quad (2)$$

where:

$m$  – slope of the double-log semivariogram

If  $D = 2$ , the sample surface roughness is homogeneous or isotropic, which indicates that the elevation points are space-independent. If  $D = 1$ , the sample surface roughness distribution is linear, with a gradient feature, which means that the surface roughness monotonously changes as the sample interval increases (LÜ *et al.* 2006).

## RESULTS AND DISCUSSION

### Overall spatial variation

Figure 3 shows a notable trend;  $r(h)$  of each slope increases with  $h$  and remains relatively stable within a certain sampling scale. Moreover, the same tillage slope exhibits an extremely similar spatial variability, regardless of the slope gradients or erosive stages. This behaviour exemplifies that the surface roughness of different tilled slopes has a relatively stable spatial variability. This is the same as the result from Zhang (ZHANG *et al.* 2014).

**Variation on different scales.** The  $r(h)$  of all tilled slopes rises steadily from 0 to 15 cm in different erosion stages (Figure 3), which might be linked to local randomness factors such as incomplete tillage measure or edge effects of soil tanks. On a larger

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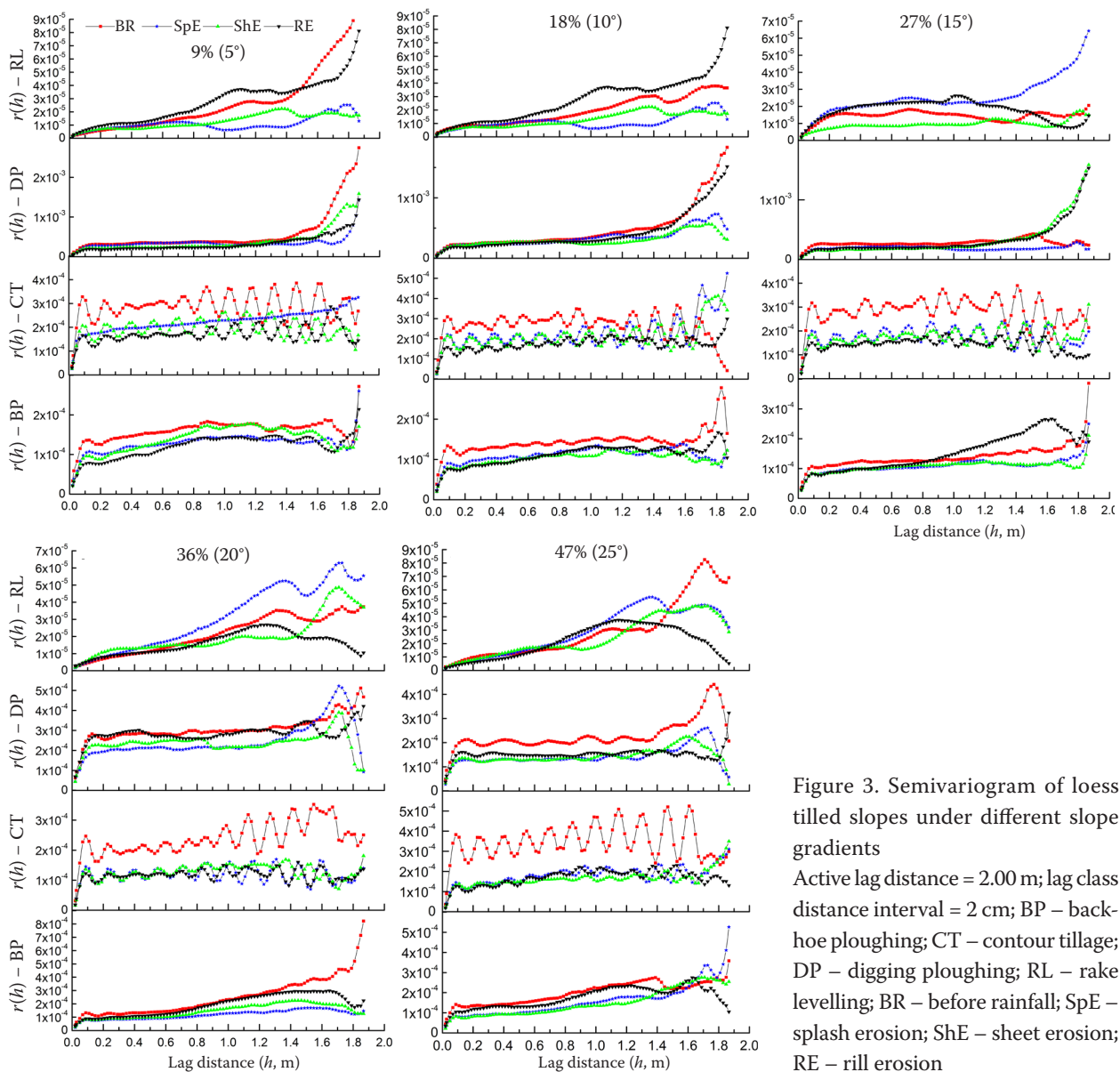


Figure 3. Semivariogram of loess tilled slopes under different slope gradients

Active lag distance = 2.00 m; lag class distance interval = 2 cm; BP – back-hoe ploughing; CT – contour tillage; DP – digging ploughing; RL – rake levelling; BR – before rainfall; SpE – splash erosion; ShE – sheet erosion; RE – rill erosion

scale from 15 to 150 cm,  $r(h)$  remains relatively stable, suggesting that the related semivariogram graph can be used to simulate the real surface very well. On the scale of 180–200 cm, on the one hand,  $r(h)$  increases rapidly, implying that the total SH increases gradually with the scale. The microtopographic (tillage measure, slope orientation, and slope profile) and rainfall (intensity, duration, amount) characteristics are the predominant factors impacting the surface roughness variation on a larger spatial scale. On the other hand, we also observed a rapid decrease in  $r(h)$ , which indicates that the surface roughness does not have a quantitative spatial correlation and lacks defined spatial structures. This behaviour might be caused by local factors such as edge effects.

**Variations in different erosion stages.** During the successive water erosion stages, the overall sill of tilled slopes has the following order:  $Sill_{BR} > Sill_{SpE} > Sill_{RE} > Sill_{ShE}$  (Figure 4). Correspondingly, the SH or the overall maximum spatial variability is reduced in the splash erosion stage, increased in the sheet erosion stage, and slightly re-reduced in the rill erosion stage. This means that the rainfall has a certain relief, strengthening, and relief effect on the surface roughness in the splash, sheet, and rill erosion stages, respectively. In general, the rainfall exerts a gentle force on the surface roughness, which is in accordance with previous works by ZHAO *et al.* (2014).

**Variations of different slope gradients.** Based on the sill of the different slope gradients, the slope of



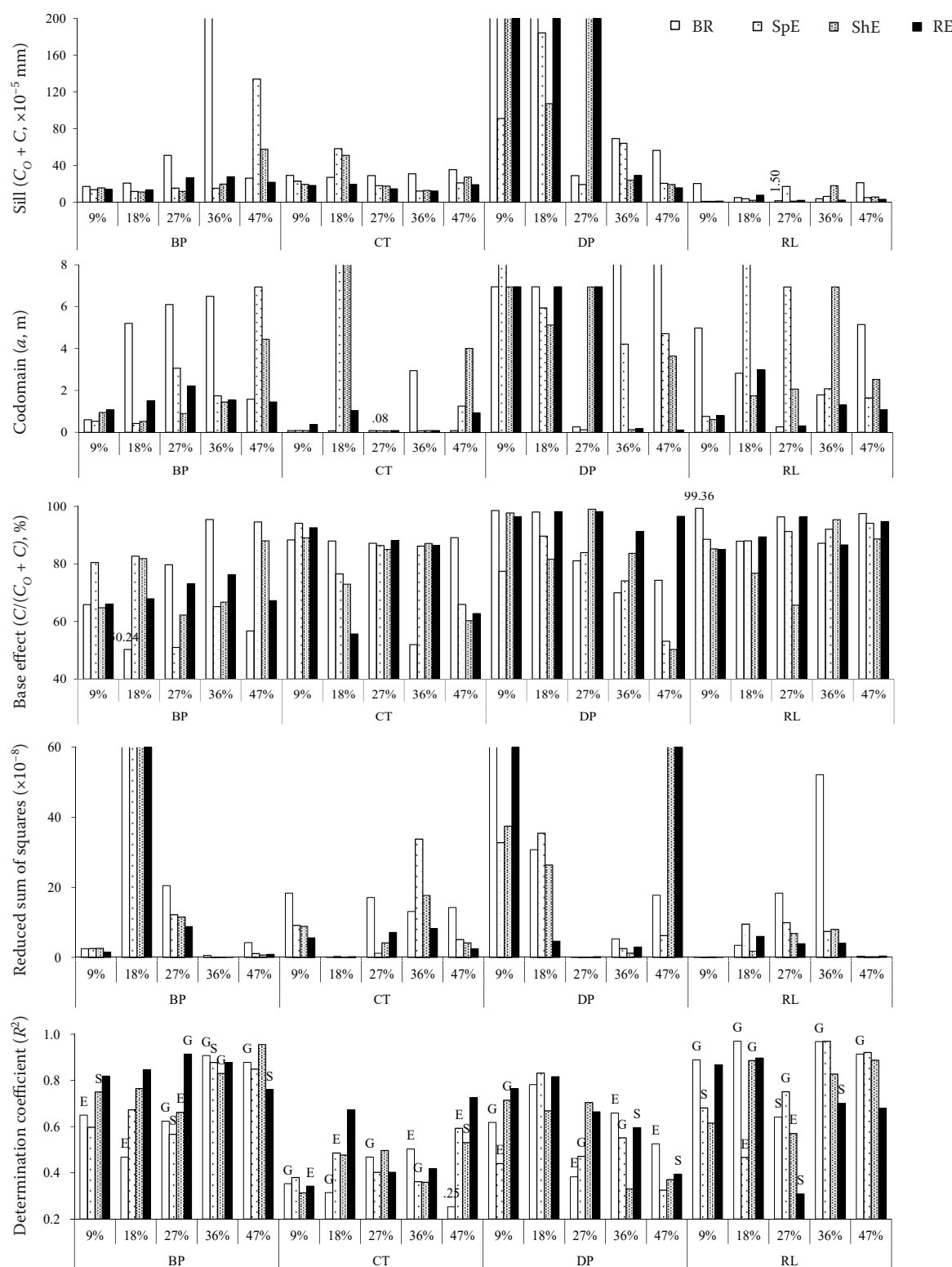


Figure 4. Different fits of semivariogram models for loess tilled slopes

BP – backhoe ploughing; CT – contour tillage; DP – digging ploughing; RL – rake levelling; BR – before rainfall; SpE – splash erosion; ShE – sheet erosion; RE – rill erosion; E – exponential model; G – Gaussian model; S – spherical model

27% has the highest variance (at the level of  $1.1E-02$ ), followed by the slopes of 36%, 9%, and 18% (Figure 4).

The slope of 47% has the lowest variance ( $3.1E-04$ ). This shows that the overall SH of the different slope

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gradients descends in the following order of the slope gradient: 27% > 36% > 9% and 18% > 47%. This also suggests that the surface roughness at a slope of 27% has a better spatial structure and is more effective in preventing soil erosion, while the slope of 47% is more prone to be eroded.

**Variations of different tillage measures.** The  $r(h)$  of RL is smaller (on the level of  $1E-05$ ) than that of the others ( $> 1E-04$ ). This shows that the spatial variability of the linear slope is not as notable as that of the others. The  $r(h)$  of DP at a slope of 27% and BP at a slope of  $> 36\%$  were higher, indicating that the spatial variability of these tilled sloping surfaces at the corresponding slope gradients is higher. This outcome might serve as a theoretical foundation for the selection of tillage measures at different gradients for soil and water conservation, because the higher spatial variability inhibits soil erosion (FLAGG *et al.* 2014).

A higher autocorrelation of the surface roughness indicates a lower variability and weaker inhibition effect on the soil loss. On the other hand, the surface roughness with higher spatial variability can result in the shortest path of runoff and sediment, it can prevent soil erosion to the utmost extent (MORENO *et al.* 2012). Figure 4 shows that  $C$  holds a large proportion in the constituent of the overall SH of the surface roughness and all  $C/(C + C_0)$  ratios are  $> 25\%$  (min  $C/(C + C_0) = 50.24\%$ ). This behaviour demonstrates that the surface roughness of most tilled sloping surfaces has a medium or strong autocorrelation in the general order of  $RL > DP > CT > BP$ , and its inhibition effect on the soil loss is enhanced.

**Semivariogram model and autocorrelation range.** Figure 4 demonstrates that the Gaussian-based model can be used to simulate the microtopographic surface roughness due to the fact that the coefficient of determination ( $R^2$ ) is relatively larger and all reduced sum of squares ( $RSS$ ) values were smaller than  $1.0E-05$ , independent of the slope gradient or erosion stages. The semivariogram model can therefore be applied to simulate tilled sloping surfaces to reflect the spatial structure of the surface roughness, which is in accordance with previous works by ZHANG *et al.* (2015).

The values of different tilled surfaces with unusual gradients are not identical (Figure 4). The general autocorrelation scale range is 3.15 m. This result provides an autocorrelation scale range reference or the minimum spatial sampling distance for further research on SH.

### Anisotropy or isotropy

The anisotropy ratio  $Fa$  of the same tilled slope surface roughness varies depending on the slope gradient or diverse erosion stages (PEÑUELA *et al.* 2015). In general, the surface roughness demonstrates certain anisotropy in the direction of  $0^\circ$ – $67.5^\circ$ , while it exhibits isotropic or weaker anisotropy in other directions (Figure 5). In comparison, the  $Fa$  has the greatest value at a slope gradient of 36% (1.135), RL (1.087), or rill erosion stage (1.085), while it is the smallest at a slope gradient of 9% (1.025), CT surface (1.047), or sheet erosion stage (1.048). As a result, the  $Fa$  can be used as an effective indicator reflecting the overall diversity of the spatial variability of the surface roughness for different slope gradients, tilled surfaces, and erosion stages.

### Overall fractal dimension

The double-log semivariogram of the loess slopes represents a linear relationship within a certain scale (VIDAL *et al.* 2005). Therefore, the surface roughness of the loess slopes was not totally random and has a better fractal nature at certain slope gradients and erosion stages (Figure 6); the overall  $D$  ranged between 1.59 and 1.85. The most important factor affecting the tilled roughness of the fractal surfaces was the amplitude of the surface (LUNG *et al.* 1999). When comparing RL surfaces of  $D$  1.59–1.76, it was found that the overall  $D$  was positively correlated with surface roughness.

**Fractal dimension in different tillage measures.** The general order of the  $D$  value of the tilled surfaces

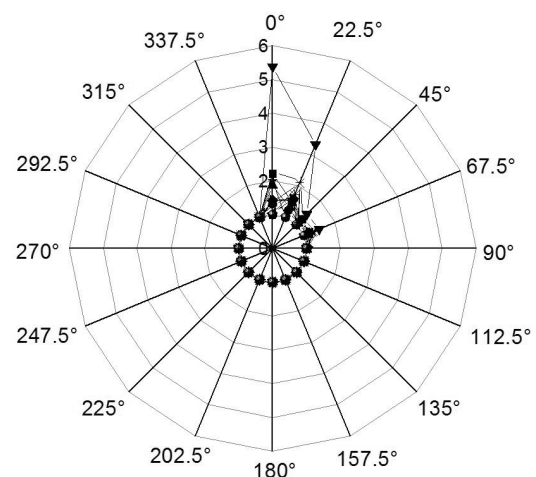


Figure 5. Sketch-map of the anisotropy ratio of surface roughness under different slope gradients

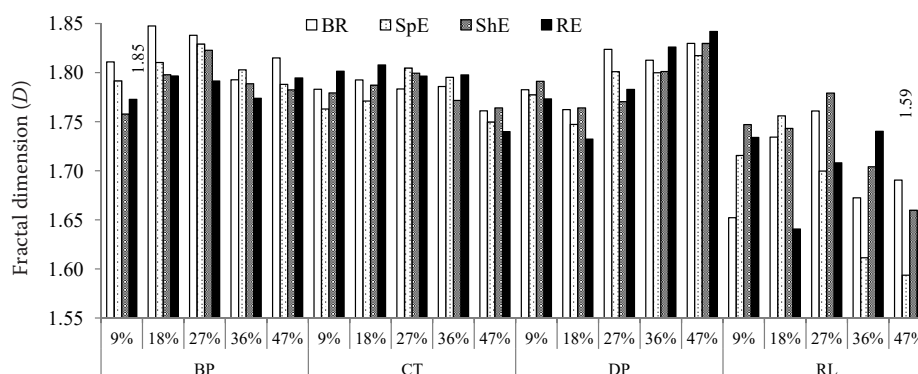


Figure 6. Fractal dimension of loess tilled slopes during soil erosion process

BP – backhoe ploughing; CT – contour tillage; DP – digging ploughing; RL – rake levelling; BR – before rainfall; SpE – splash erosion; ShE – sheet erosion; RE – rill erosion;

is: RL (1.70) < CT (1.78) < DP (1.79) < BP (1.80). This suggests that the spatial autocorrelation weakened and the SH gradually strengthened due to random factors. Consequently, the spatial distribution of the surface roughness became increasingly complex.

**Fractal dimension of different slope gradients.** With respect to the slope steepness, the  $D$  value of the slope gradient of 27% was the highest (1.79), which indicates that the sloping surface of 27% has the highest potential for soil erosion. The sloping surface of 47% has the lowest  $D$  value (1.76), which implies that the larger-scale variations dominate the configuration of the surface roughness and the spatial dependence is stronger than that of the other slope gradients. Thus, the sloping surface of 47% is more susceptible to erosion, reflects the critical slope gradient limit for soil and water conservation, and might be the steepest slope gradient for effective agricultural tillage. In the Soil and Water Conservation Law of China, it is strictly prohibited to reclaim slopes steeper than 47%. Therefore, the result of this article provides a convincing reference for this clause.

**Fractal dimension of different erosion stages.** The  $D$  value order of the different erosion stages is the following:  $D_{SpE} < D_{RE} < D_{ShE} < D_{BR}$ ; small-scale variations increase. With respect to the evolution of the slope erosion, the  $D$  value decreases first and then slightly increases. This further demonstrates that the rainfall at the SpE stage initially has a relief effect on the surface roughness; it has a strengthening and relief effect on the surface roughness at the ShE and RE erosion stages, respectively.

## CONCLUSIONS

The spatial heterogeneity (SH) of the surface roughness was examined in this study under microtopo-

graphic conditions. It is mainly affected by both spatial structural factors, including human cultivation activities and slope gradient, and random elements such as rainfall and soil moisture content (VÁZQUEZ *et al.* 2010). Especially, the spatial configurations of the surface roughness are mainly affected by small-scale tilled measures and slope and large-scale rainfall and erosion processes. In general, rainfall exerts a gentle force on the surface roughness and has a certain relief effect on it. However, this effect is not notable and the size and degree of this effect are poorly understood; further studies are needed.

One legal rule of the 'Law of the People's Republic of China on Water and Soil Conservation' (2010) notes that farming activities are strictly prohibited on slopes with a slope gradient > 47% (25°). Accordingly, the surface roughness on a slope of 27% (15°) has a better spatial structure and is more effective in preventing soil erosion, while the slope of 47% is more susceptible to erosion. Our results provide strong evidence for this legal rule. In general, the CT tillage measure is more feasible for the use in soil and water conservation; it prevents and controls the erosion well, regardless of the slope gradients. It can be safely popularized and applied to control the soil erosion in the sloping regions of the Chinese Loess Plateau.

In this study, only a single rainfall intensity (2.0 mm per min) was considered. However, the surface roughness varies depending on different rainfall intensities, the theoretical mean sampling distance has a significant autocorrelation (3.14 m), and the maximum autocorrelation sampling distance is 12.0 m. Therefore, further research on the SH of the surface roughness and verification for a wider scale or different rainfall intensities are required. In addition, because the results might be affected by the edge effects of erosion troughs, the reliability of the results remains to be verified.

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All tillage sloping surfaces of the erosion stages show a strong spatial autocorrelation and relatively stable spatial structure. The SH is a function of the scale and fractal dimension. The spatial variability of BP, CT, DP, and RL strengthens on larger scales and weakens on small scales. The surface roughness of all slopes has certain anisotropy in diverse directions on the micro-topographic scale.

Most importantly, a semivariogram-based methodological framework was established in this study, which integrates the semivariogram function and anisotropy ratio with the fractal analysis featuring the SH of small-scale areas such as the surface roughness of tilled slopes. The results obtained in this study indicate that this framework is concise, applicable, and effective.

**Acknowledgements.** This work was financially supported by the National Natural Science Foundation of China (41271288, 41371273), and the Fundamental Research Funds of Northwest A&F University (2452015176). The authors would like to thank all anonymous reviewers for their valuable comments which definitely improved this work.

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Received for publication June 1, 2017

Accepted after corrections October 9, 2017

Published online November 24, 2017